

# Looking for indicators to qualify coastal area dispersion capability

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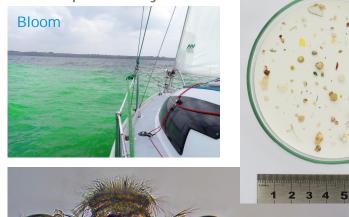


#### Introduction

Ifremer

**Microplastics** 

- A large and frequent demand for characterising coastal areas in simplified way
  - Policy makers / Stakeholders
  - Water Framework Directive
  - Scientist community
- Interpret a manifold of processes and observations
  - Fate of continental runoffs
  - Biological eutrophication impacts
  - Any kind of pollution (e.g. microplastics, virus)
  - Larvae dispersal, bivalve recruitments



Flat oyster larvae

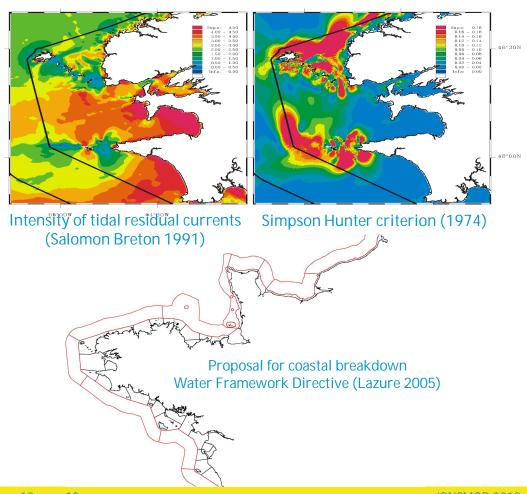
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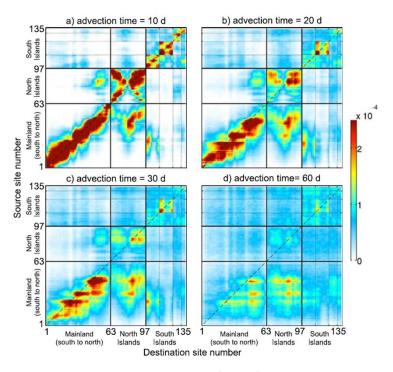
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#### Indicators review: what is known?



- Notion of transport
  - Residual circulations
  - Connectivity between areas (MPAs)
  - Transport matrix method



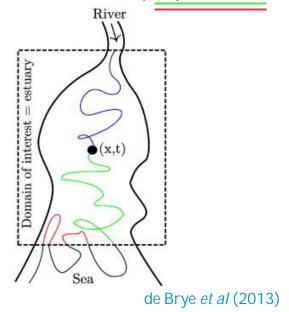


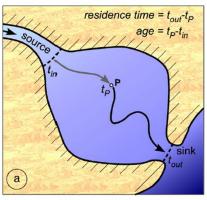
Mitarai *et al* (2009)

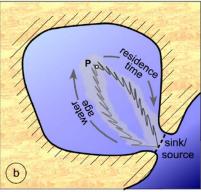
#### Indicators review: what is known?



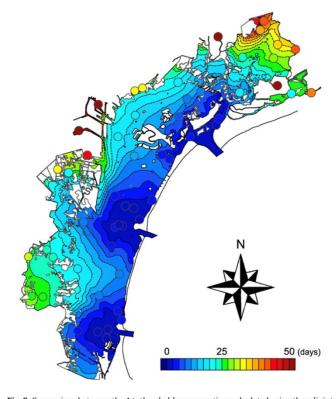
- Notion of transport
  - Residual circulations
  - Connectivity between areas (MPAs)
  - Transport matrix method
- Concepts of time
  - Flushing time / Local flushing time
  - Water age / Residence time
  - Influence time / Exposure time







Viero, Defina (2016)



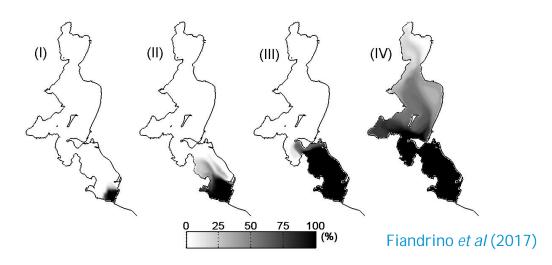
 $\label{eq:Fig. 8.} \textbf{Example 1} (b) Fig. \textbf{8.} Comparison between the 1/e threshold exposure time calculated using the adjoint approach by (Delhez et al., 2004) (color-graded map) and the standard forward approach (color-graded circles).$ 

#### Indicators review: what is known?



- Notion of transport
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Notion of volume



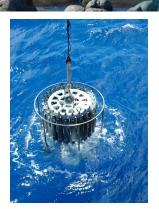
Maps of probabilities for cells in the lagoon to belong to the Marine Mixed Volume  $V_{\text{MM}}$  of the lagoon at different timescale

It generally applies to a large volume of control with a thin ocean entrance : lagoon / inside bay

→ Depends on the typology of areas Flung wide open domain ? Semi-enclosed area with large exchange fluxes ?



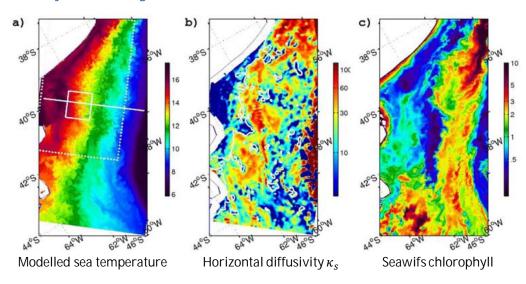
- Try to exhibit an indicator that might be call a « dispersiometer »
- Requirements :
  - Must be local
  - Must give at a glance a measurement / indicator
  - Must be suited to a macro-tidal coastal environment
  - Must be intrinsic (independent of the field that is being dispersed) or inherent to the fluid regime



#### An approach from Capet *et al* (2008) Submesoscale activity over the Argentinian shelf. GRL

$$\kappa_{s} = -\frac{\langle \tilde{\mathbf{u}}\tilde{T}\rangle_{s} \cdot \nabla_{h}\langle T\rangle_{s}}{\left|\nabla_{h}\langle T\rangle_{s}\right|^{2}}$$

- Assumptions:
  - Homogeneous turbulence
  - None advective area
  - Isotropic property



#### Objectives



- Try to exhibit an indicator that might be call a « dispersiometer »
- Requirements :
  - Must be local
  - Must give at a glance a measurement / indicator
  - Must be suited to a macro-tidal coastal environment
  - Must be intrinsic (independent of the field that is being dispersed) or inherent to the fluid regime



→ Combination of two lagrangian approaches

Tidal residual currents Salomon Breton (1991)



Eddy diffusivity concept Rypina *et al* (2016)



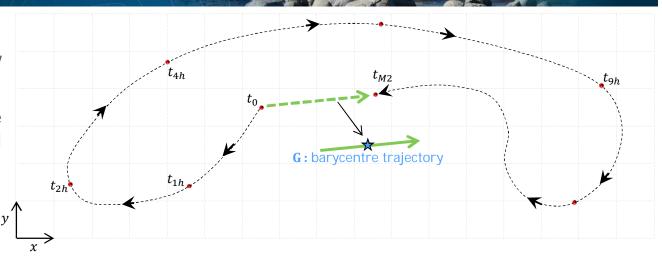
Local diffusivity coefficient

#### Method: residual tidal currents

Steady simulation

Follow a single particle trajectory during exactly 1 tidal cycle  $T_{M_2}$ 

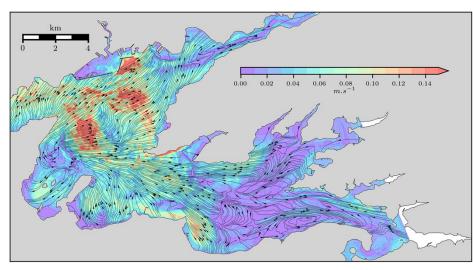
Estimate residual current from the distance between initial and final positions

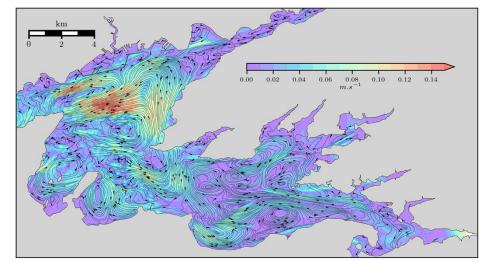


$$\overrightarrow{U_{res}} = \frac{x_{M_2} - x_0}{T_{M_2}} \qquad \overrightarrow{V_{res}} = \frac{y_{M_2} - y_0}{T_{M_2}} \qquad L = \frac{1}{T_{M_2}} \int_0^{T_{M_2}} \sqrt{dx^2 + dy^2} dt$$

$$L = \frac{1}{T_{M_2}} \int_0^{T_{M_2}} \sqrt{dx^2 + dy^2} dt$$

#### → Barycentre repositioning sharpen the residual current field





Residual tidal currents for mean tide conditions

Residual tidal currents after barycentric repositioning

Salomon, Breton (1991). Numerical study of the dispersive capacity of the bay of Brest, France towards dissolved substances. EH

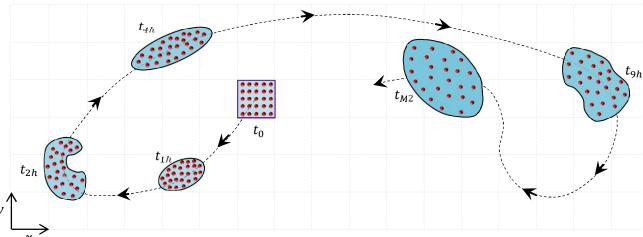
### Method: local diffusivity coefficient



Steady simulation

Follow a patch of particles trajectories during exactly 1 tidal cycle  $T_{M_2}$ 

Estimate diffusivity coefficient from the spreading of the spot between the initial and positions



Spreading of a spot during one tidal cycle

For each grid cell: N virtual floats

- Evenly distributed with respect to x and y
- Randomly distributed over z

$$\Delta X(t) = \frac{1}{N} \sum_{n=1}^{N} \Delta x_n(t)$$

$$\Delta x_n$$
: Zonal displacement of the n<sup>th</sup> particle from its initial position 
$$\Delta y_n$$
: Meridional displacement of the n<sup>th</sup> particle from its initial pos

 $\Delta y_n$ : Meridional displacement of the n<sup>th</sup> particle from its initial position

$$\Delta Y(t) = \frac{1}{N} \sum_{n=1}^{N} \Delta y_n(t) \qquad \frac{\Delta X(t)}{\Delta Y(t)}$$
 Ensemble-mean displacements (or barycentre movement)

$$\Delta X(t)$$
 $\Delta Y(t)$ 

Single particle dispersion tensor for a group of N particles

$$D = \begin{pmatrix} D_{xx} & D_{xy} \\ D_{yx} & D_{yy} \end{pmatrix}$$

$$D_{xx}(t;y) = \frac{1}{N} \sum_{n=1}^{N} [\Delta x_n(t) - \Delta X(t)]^2$$

$$D_{xy}(t;y) = \frac{1}{N} \sum_{n=1}^{N} [\Delta x_n(t) - \Delta X(t)] [\Delta y_n(t) - \Delta Y(t)]$$

$$D_{yy}(t;y) = \frac{1}{N} \sum_{n=1}^{N} [\Delta y_n(t) - \Delta Y(t)]^2$$

Rypina et al. (2016). Investigating the Eddy Diffusivity Concept in the Coastal Ocean. JPO

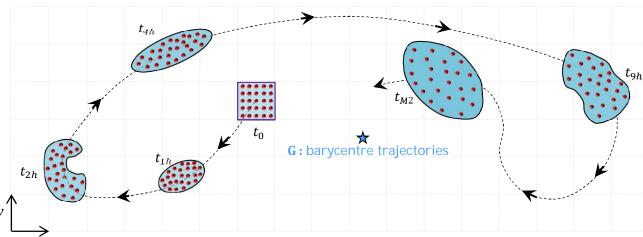
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Spreading of a spot during one tidal cycle

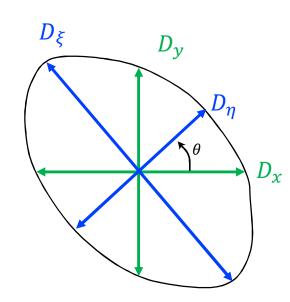
For each grid cell: N virtual floats

- → Evenly distributed with respect to x and y
- → Randomly distributed over z

$$\begin{pmatrix} \mathsf{D}_{\xi} & \mathsf{0} \\ \mathsf{0} & \mathsf{D}_{\eta} \end{pmatrix} = R^{-1} \begin{pmatrix} D_{xx} & D_{xy} \\ D_{yx} & D_{yy} \end{pmatrix} R$$

$$R = \begin{pmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{pmatrix}$$

$$\tan(2\theta) = 2D_{xy}/(D_{xx} - D_{yy})$$



$$K_{\xi}(t) = \frac{1}{2} \frac{\partial D_{\xi}}{\partial t}$$
  $K_{\eta}(t) = \frac{1}{2} \frac{\partial D_{\eta}}{\partial t}$ 

$$K(m^2. s^{-1}) = \text{MAX}(K_{\xi}, K_{\eta})$$

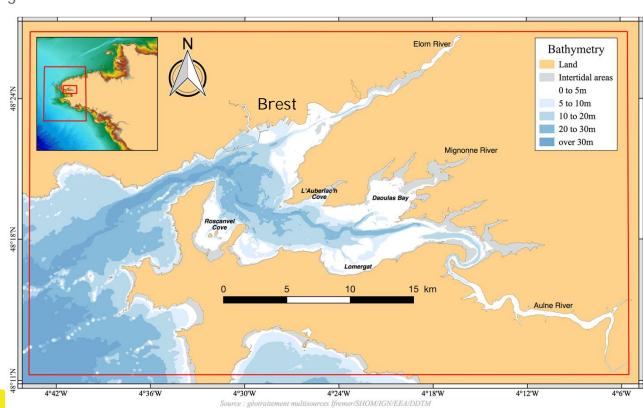
$$\rightarrow T_{M2} = 44712 \text{ s} \simeq 12\text{h}25$$

→ Barycentre repositioning

#### Setup: Bay of Brest

ifremer

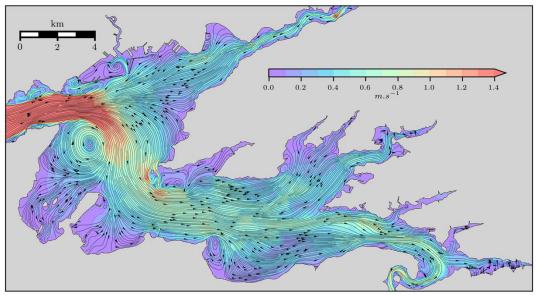
- Semi-enclosed marine ecosystem (180 km<sup>2</sup>)
- Average bathymetry around 8m with many sheltered coves (only 13% of the inside area over 20m deep)
- Fractal like coastline
- Macro-tidal area: 7.3 m maximum tidal range 85% governed by semidiurnal tidal waves
- Low freshwater inputs Mean annual discharge  $\simeq 30 \text{ m}^3 \text{ s}^{-1}$ 
  - Aulne 71% / Elorn 15 % / Mignonne 5%
- Highly variable meteorological forcings
- Important societal challenges
  - Nearshore fisheries management
  - Shellfish aquaculture



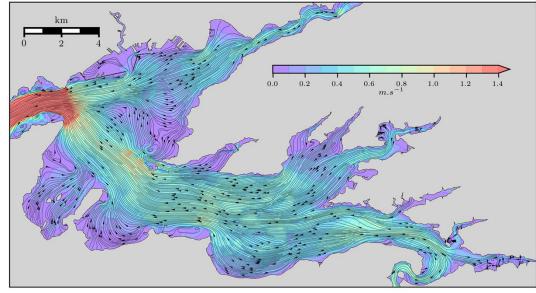
### Setup: Bay of Brest

**Ifremer** 

- High tidal prism
- →25% of mean total volume in neap tides
- →60% of mean total volume in spring tides
- Heterogenous hydrodynamic
  - Strong currents next to the strait
  - Sheltered shallow water areas
  - Anisotropic conditions
- Quick evolutions during a tidal cycle
  - Small time scales: 15 mins
  - Small space scales: 250 m



Barotropic currents during flood tide – mean spring tides



Barotropic currents during ebb tide – mean spring tides

#### Setup: numerical model aspects

Ifremer

- Runs
  - Steady simulations (5 days spin-up)
  - Only semidiurnal tidal signal imposed at open boundaries
  - One release every hour over one tidal cycle → 13 releases
  - Reference run
    - → Mean tides: 4.3 m tidal range
    - → No wind
    - → One tidal cycle T<sub>M2</sub>

- Lagrangian approach
  - 100 passive particles in each mesh: total number  $\simeq 6.10^6$
  - Randomly spaced over vertical axis
  - Advection using either 2D or 3D currents
  - Non naïve random walk over the vertical (Visser 1997) to represent vertical turbulent dispersion
  - Coastal behaviour: beaching during wet-drying time

#### Hydrodynamic model

MARS 3D (Lazure Dumas 2008) 2 nesting grids

50m horizontal resolution

20 sigma layers

k-ε turbulence closure

#### **Schematic forcings**

- Tidal components from SHOM
- No temperature or salinity gradient
- No air-sea exchange

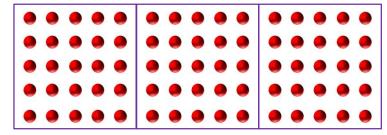
### Setup: numerical estimation aspects



- Estimation of the local diffusivity coefficient
  - At least 90% of initial number of particles per patch
  - Centroid repositioning increases homogeneity of the final result
  - On the native hydrodynamic grid → Not necessary



- Patches construction
  - Particles are used once within a unique patch

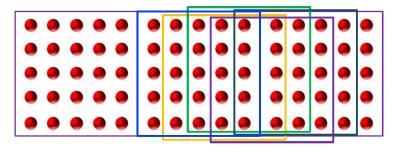


1 estimation per initial mesh grid



Benefits of lagrangian approach

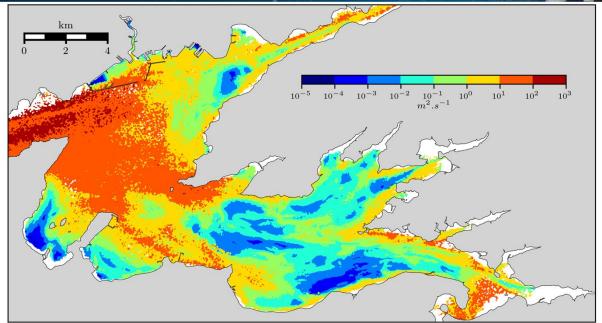
→ Could be used in overlap patches



5 estimations per initial mesh grid

### Methodological aspect



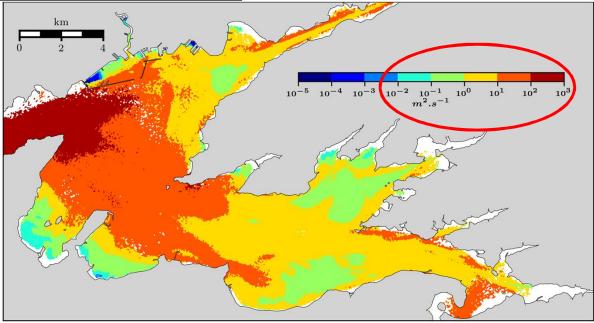


Local diffusivity coefficient mean tides 4.3m

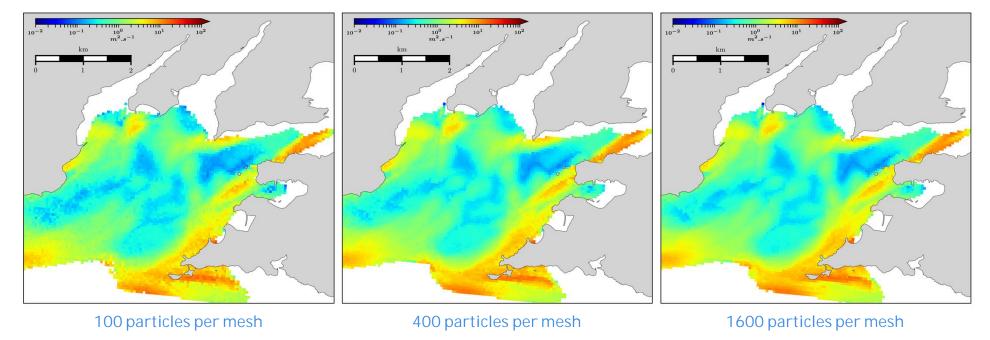
→ Particles are advected with barotropic currents

Local diffusivity coefficient mean tides 4.3m

→ Particles are advected with 3D currents



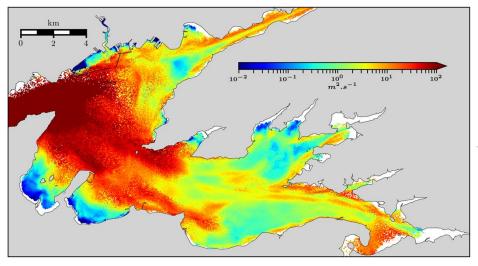
- Initial vertical distribution → Weak influence
  - Even or random uniform distribution give the same results
  - Lagrangian approach allows to select a posteriori particles within any given initial subdomain / layer
- Sensitivity to the number of particles used



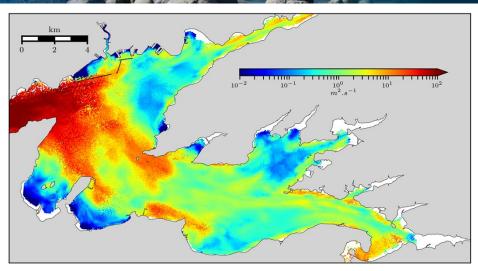
- Horizontal resolution
  - Definition at which the local diffusivity coefficient is assessed
  - Impact of the model resolution (lack of subgrid diffusivity)



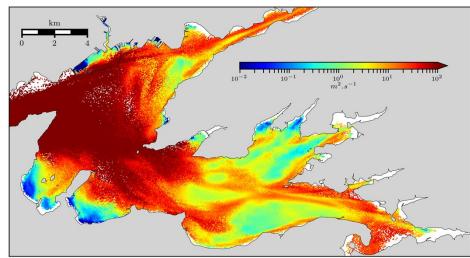
Mean neap tides 2.7 m tidal range



Mean spring tides 5.9 m tidal range



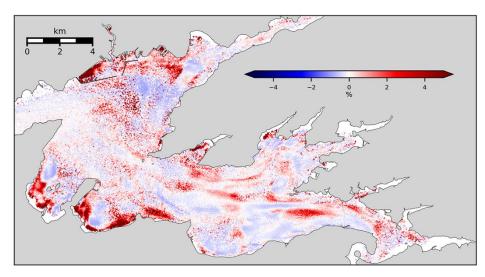
Mean tides 4.3 m tidal range

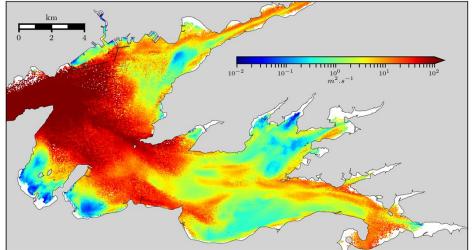


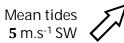
## Wind forcings impact : schematic constant winds

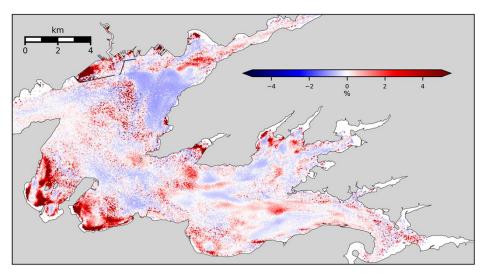


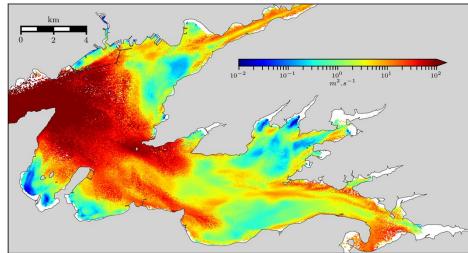






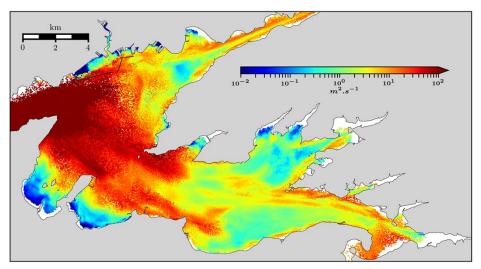






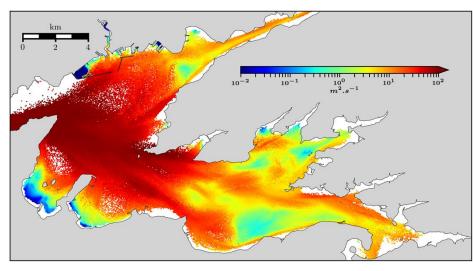
### Evolution over longer time scale

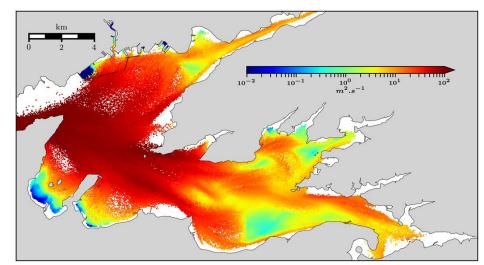




After 1 tidal cycle

After 2 tidal cycles





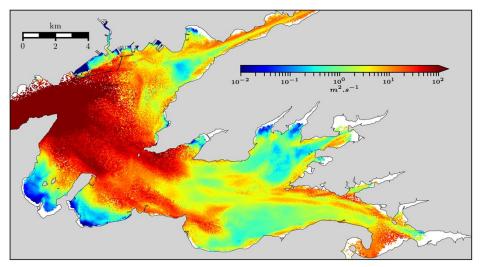
After 3 tidal cycles

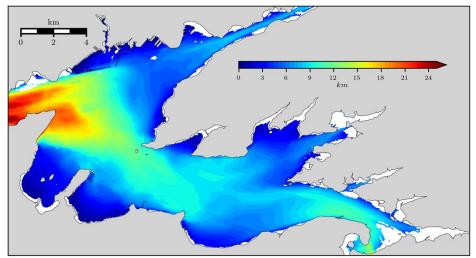
After 4 tidal cycles

→ Limit of the indicators : sensitive to time integration

### Link between indicators



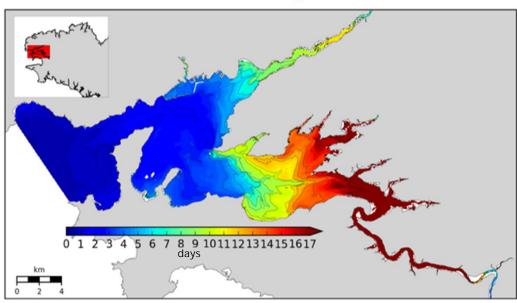




Local diffusivity coefficient – Mean tides

25 0.08 Probability 20 Density 0.07 Tidal excursion length (km) 0 5 Function 0.06 0.05 0.04 - 0.03 0.02 5 0.01 0.00 10<sup>-5</sup> 10<sup>-4</sup> 10<sup>-3</sup> 10<sup>-2</sup> 10<sup>-1</sup> 10<sup>0</sup> 10<sup>2</sup> Local diffusivity  $(m^2. s^{-1})$ 

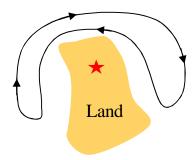
Tidal excursion length- Mean tides



*e*-local flushing time applied to the bay of Brest Neap tide and low flow situation

#### Perspectives

- Conclusions
  - This indicator enables a quantitative comparison of different areas
  - Understanding of biological processes (values of 0.1 to 100 m<sup>2</sup>.s<sup>-1</sup>)
  - Structures with good robustness even under different hydrodynamic or atmospheric forcings
  - A priori knowledge of an area in addition to many previous indicators
  - Superiority and performance of lagrangian approach (without particles behaviour)
- Limitations are here raised
  - Still depends on time integration
  - Centroid repositioning within complex coastlines, rivers
  - Number of particles needed to well characterize an area
  - Hydrodynamic model resolution



- Relevancy
  - Validation with *in-situ* data (Rypina *et al*, 2016)
  - Compare to in-silico experience :
    - → Realistic run vs Combined use of residual currents and local diffusivity coefficient
- Challenges
  - More realistic applications : Surface and Bottom coefficients
  - Bridging the gap between short timescale (tidal cycles) and longer timescale (larval life duration)

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