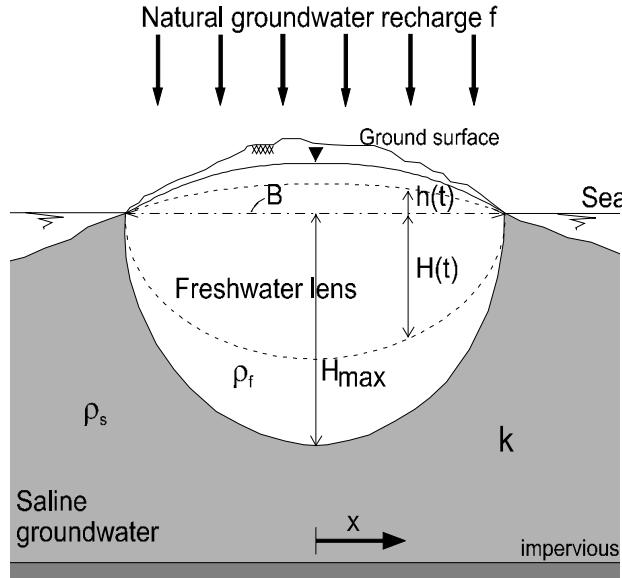


Evolution of a freshwater lens in a coastal area

Variable-density groundwater flow modelling with SEAWAT



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Introduction

Analysis of a homogeneous aquifer with the following geometry: horizontal $L=10$ km by vertical $D=150$ m. The profile is two-dimensional. Discretisation: 100×15 rectangular cells, so $\Delta x=100$ m and $\Delta z=10$ m. Hydrostatic pressure at the left and right boundary: viz. freshwater head only increases with depth due to density differences. In the central part of the aquifer, over a length of 40 cells (4 km) a natural groundwater recharge is taking place at $t=0$ year, with a rate of 360 mm/year. Initially the salt concentration is equal to 35000 mg Cl⁻/l. In the beginning, no hydrodynamic dispersion is taken into account: $D_{mol}=0$ m²/s, $\alpha_L=\alpha_{TH}=\alpha_{TV}=0$ m, as well as $R_d=1$ (no retardation). Other soil parameters are: hydraulic conductivity $k=20$ m/d; porosity $n_e=0.35$ and anisotropy $=k_{\text{vert}}/k_{\text{hor}}=0.1$. Each cell contains initially 16 particles, convergence criterion is 10^{-8} m and numerical time step $\Delta t=1.0$ year. Courant number is 0.95.

Parameters

Layers	15	K_{hor}	20 m/d
Rows	1	$T (=K_{\text{hor}} * \text{thickness cell})$	200 m ² /d
Columns	100	Anisotropy $K_{\text{hor}}/K_{\text{ver}}$	10
Δx	100 m	n_e	0.35
Δy	1 m	α_L	0 m
Δz	10 m	α_T	0 m
Stress periods	10	recharge	360 mm/y
Initial concentration	35000 mg/l	Recharge concentration	0 mg/l
bouyancy	0.025		

Exercise 1: geometry of the problem

Check PMWIN input files: heads, time-characteristics, IBOUND, MODFLOW; SEAWAT parameters.

- Run SEAWAT.
- Check the concentration results.
- Place at least 5 observation wells at interesting points, to see the change in concentration can be seen as a function of time.
- Create an EXCEL-figure with the output of the observation wells. How fast has the lens 95% of its final volume?

Exercise 2: analytical versus numerical solution for steady-state situation

The steady-state analytical solution of the position of the fresh-saline interface is known:

$$H = \sqrt{\frac{f(0.25B^2 - x^2)}{k(1 + \alpha)\alpha}}$$

See the lecture notes. Analyse whether or not the analytical and numerical solutions for the steady-state situation are in comparison with each other.

Exercise 3: effect of dispersion

- Simulate dispersion by changing the dispersion from 0.0m to $\alpha_L=1.0$ m ('Models'->'MT3DMS / SEAWAT'->'Dispersion'); use default $\alpha_{TH}=\alpha_{TV}=0.1$ m.
- Run SEAWAT.
- Analyse the effect due to the differences compare with the reference case.

Exercise 4: determine the maximum extraction rate without serious upconing of saline groundwater

- Place in PMWIN/Models/MODFLOW/Flow Packages/Well, a self determined extraction rate in three extraction wells. Place three observation points in the extraction wells. Note that the concentration under the dunes at t=0 years is initially still 35000 mg TDS/l.
- Run SEAWAT.
- How much groundwater (approximately, in m³/year/m') can be extracted without serious upconing of saline and brackish groundwater (serious means a TDS-concentration>300 mg/l). Make only a coarse, quick calculation. Is the amount of groundwater extracted much; say the length L of the island is 10 km; can drinking water at the island with 100.000 people be supplied?
- What to do to reduce the upconing (no calculations, just give suggestions)?