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OpenDA application to operational forecasting of storm-surges and waves

Martin Verlaan

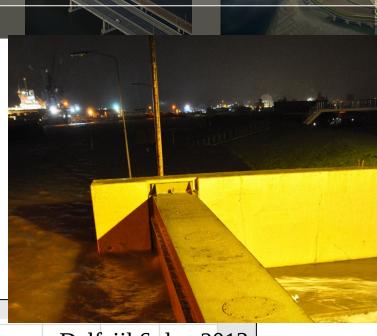
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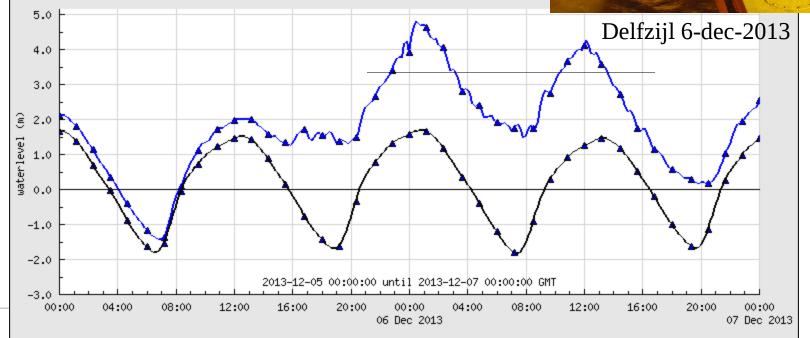
Outline

- Operational forecasting of storm-surge and waves
- Modelling and observations of storm-surges
- Calibration of tides
- Kalman filtering for storm surges
- Wave model
- Kalman filtering for waves
- What is next?

Storm surges



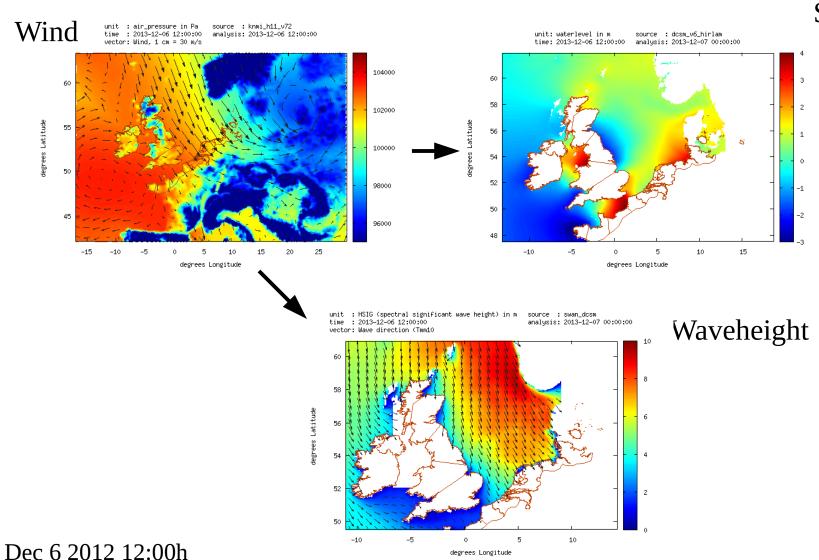




Waves

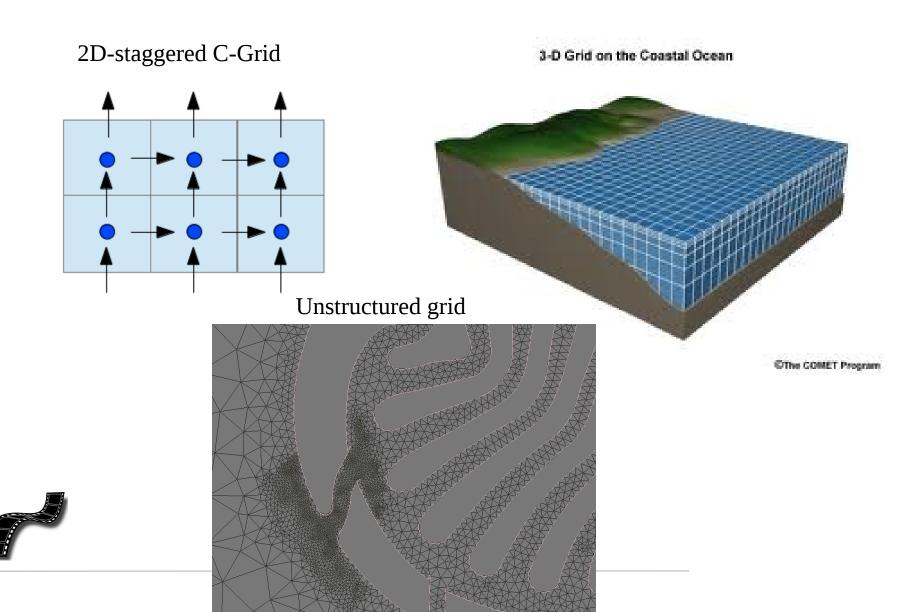


Storm impact

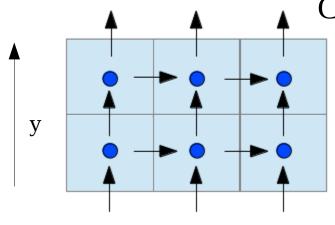


Surge

Numerical grids



2D hydrodynamic model

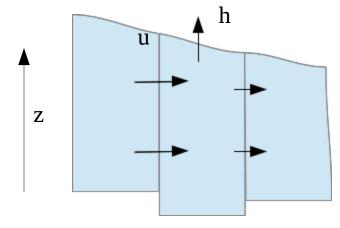


Conservation of mass

Inflow

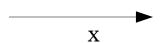
Level rise

$$\Delta t H(u(x) - u(x + \Delta x)) \Delta y = \Delta h \Delta x \Delta y$$



$$\frac{\Delta h}{\Delta t} + \frac{H(u(x + \Delta x) - u(x))}{\Delta x} = 0$$

$$\frac{\partial h}{\partial t} + \frac{\partial H u}{\partial x} + \frac{\partial H v}{\partial y} = 0$$



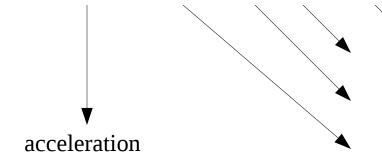
2D hydrodynamic model

Conservation of momentum in x-direction

$$\frac{\partial u}{\partial t} + g \frac{\partial h}{\partial x} - f v + \frac{c u}{H} + \frac{\partial \Phi'}{\partial x} = 0$$

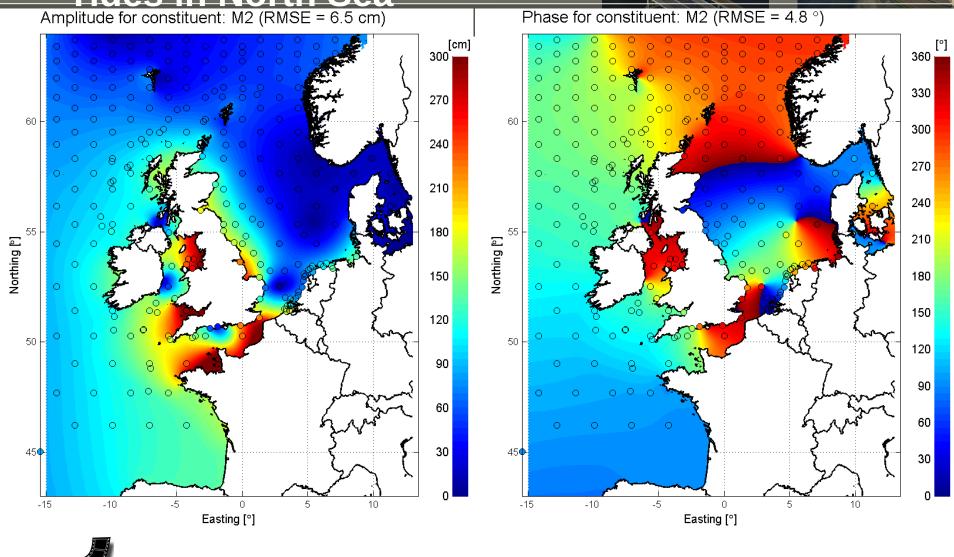
$$M a = F$$

$$\frac{\partial u}{\partial t} = -g \frac{\partial h}{\partial x} + f v - \frac{c u}{H} - \frac{\partial \Phi'}{\partial x}$$

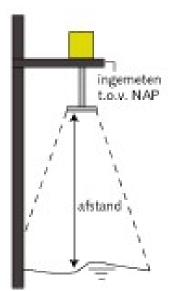


- Tidal potential
- Friction
- Coriolis 'force'
- Surface slope

Tides in North Sea

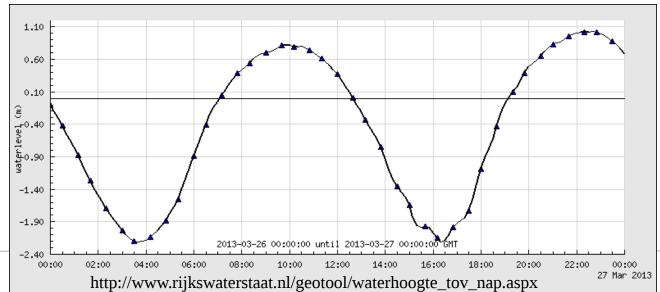


Tide gauges

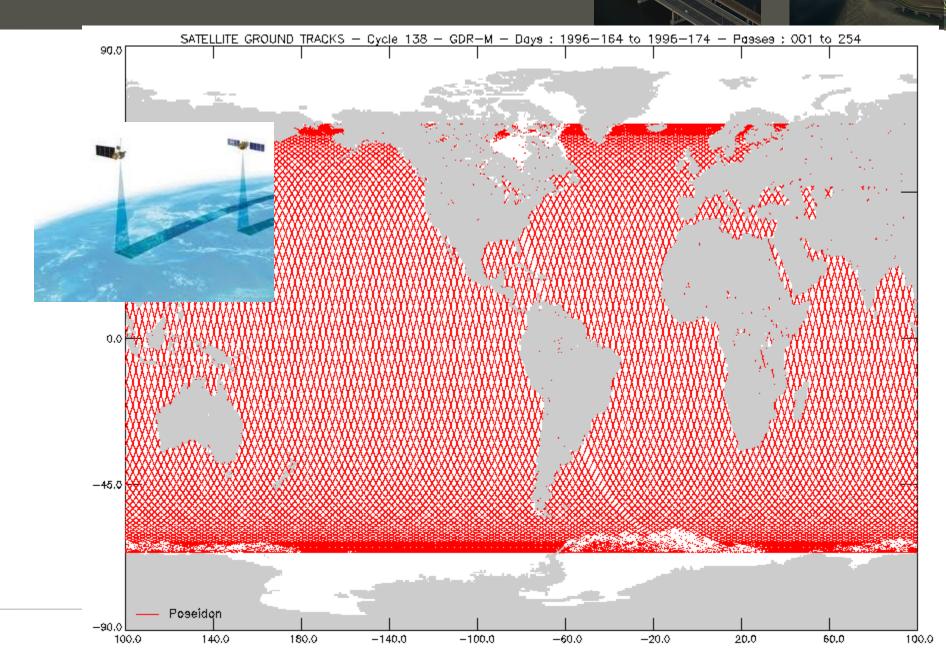




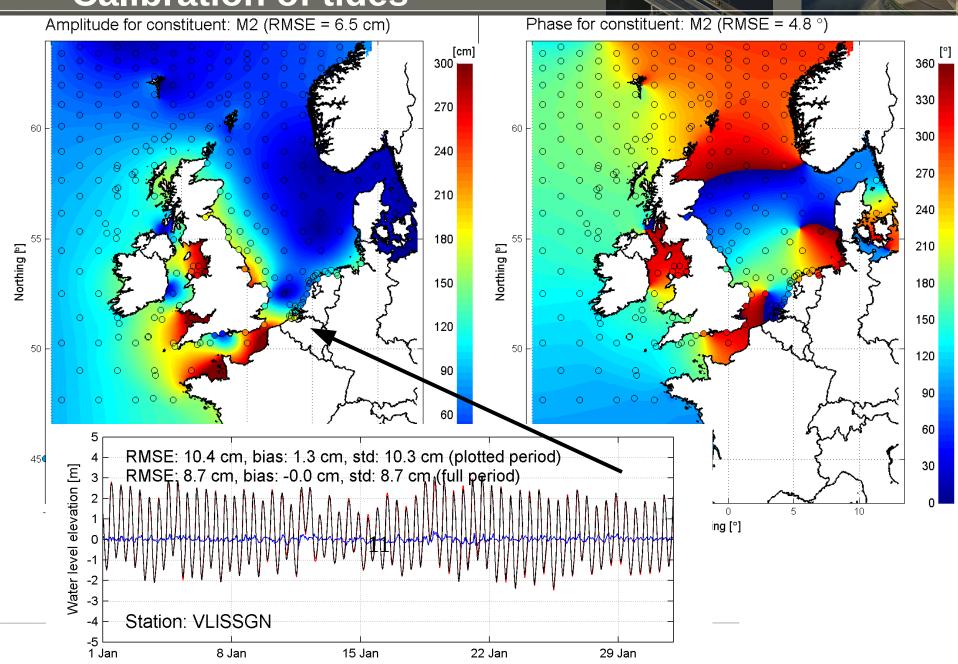




Altimeter observations

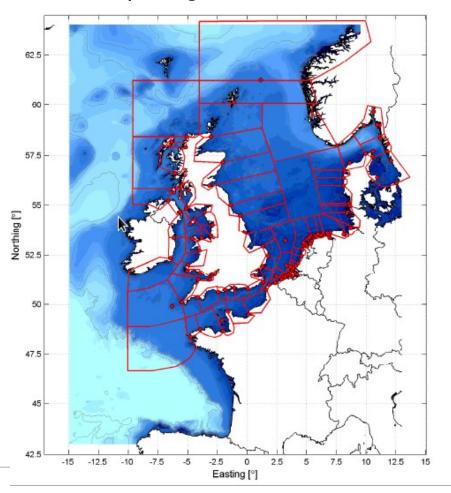


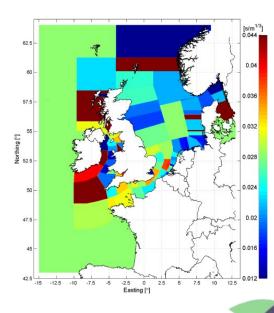
Calibration of tides

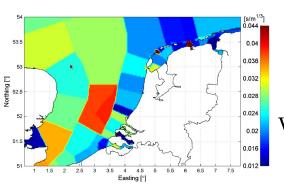


Calibration of tides

- More than 100 tide gages used
- Around 100 parameters for friction and 100 parameters for depth Efficient optimization methods with restarting and parallel computing



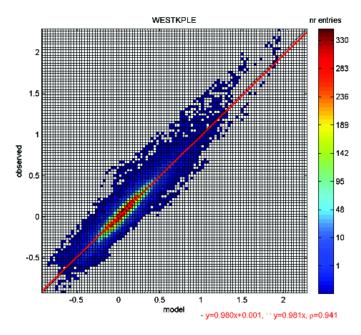




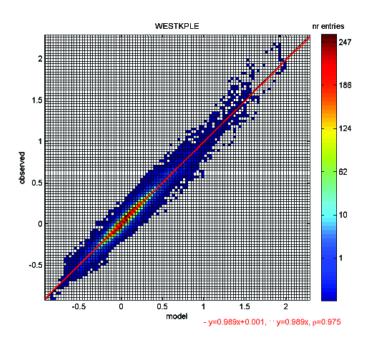


Results calibration DCSM-v6

	RMSE tides	RMSE surge	RMSE sea-level
Before calibration	6.6	9.7	11.7
After calibration	3.7	6.9	7.8

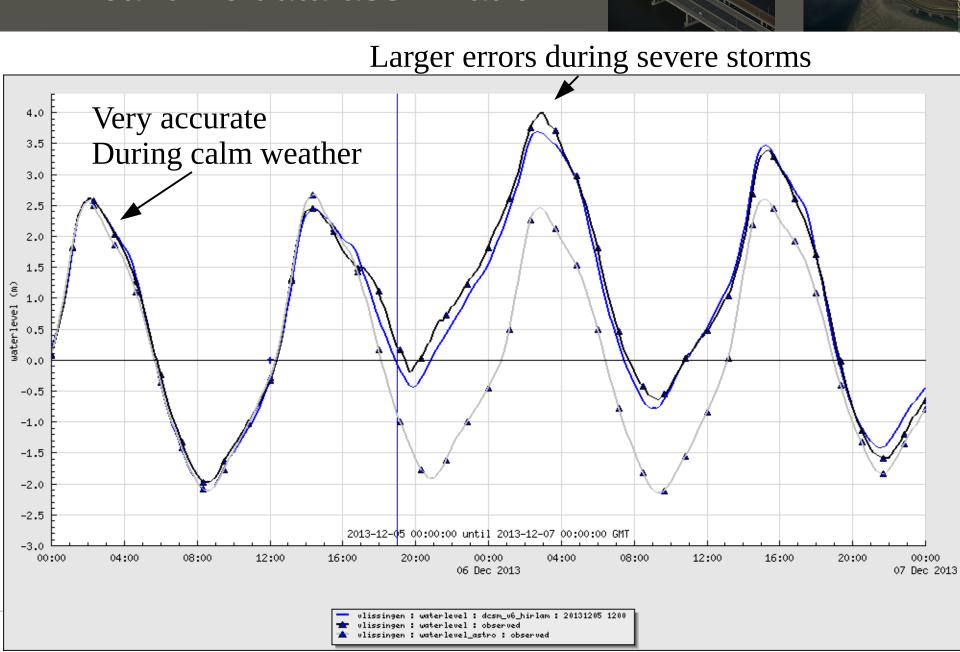


Surge before calibration



Surge after calibration

Real-time data-assimilation

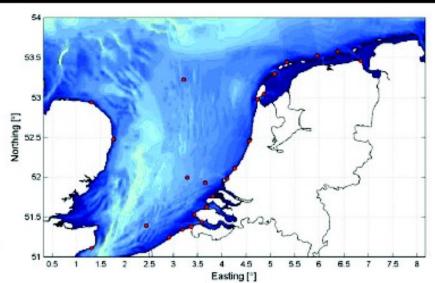


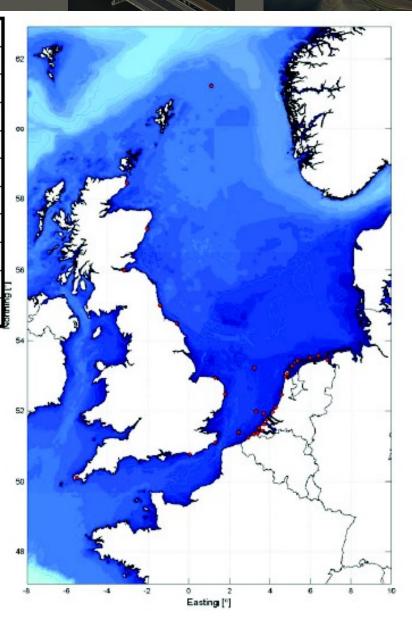
Kalman filter for storm-surge model

- Compute Kalman gain with EnKF
 - > 100 members
 - Near linear storm-surge model
 - > Stochastic forcing from wind-stress and boundaries
 - > Spurious correlations:
 - Schur product
 - > Temporal averaging (Sorensen & Madsen 2004)
- Use steady-state Kalman gain for operational computations
 - > Very efficient

Selection of assimilation locations

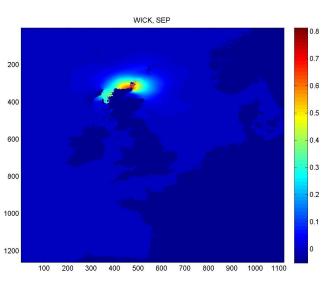
NORTHCMRT	CADZD	HUIBGT
WICK	WESTKPLE	NEWLN
ABDN	EURPFM	NEWHVN
LEITH	BROUWHVSGT08	DOVR
NORTHSS	LICHTELGRE	VLISSGN
WHITBY	HOEKVHLD	ROOMPBTN
CROMR	SCHEVNGN	DENHDR
LOWST	IJMDBTHVN	OUDSD
Oostende	K13APFM	VLIELHVN
Westhinder	TERSLNZE	EEMSHVN
Zeebrugge	WIERMGDN	



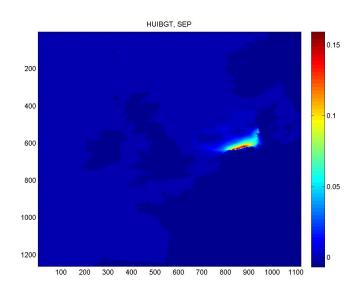


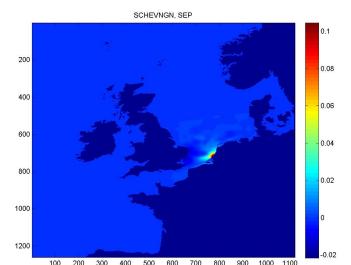
Ensemble Kalman filter

Examples of Kalman gain (DCSMv6, 100 members with localization)



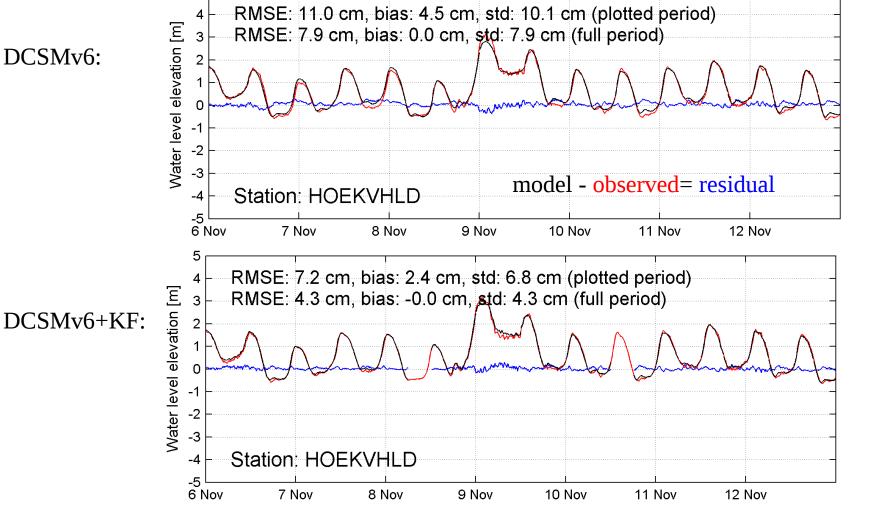




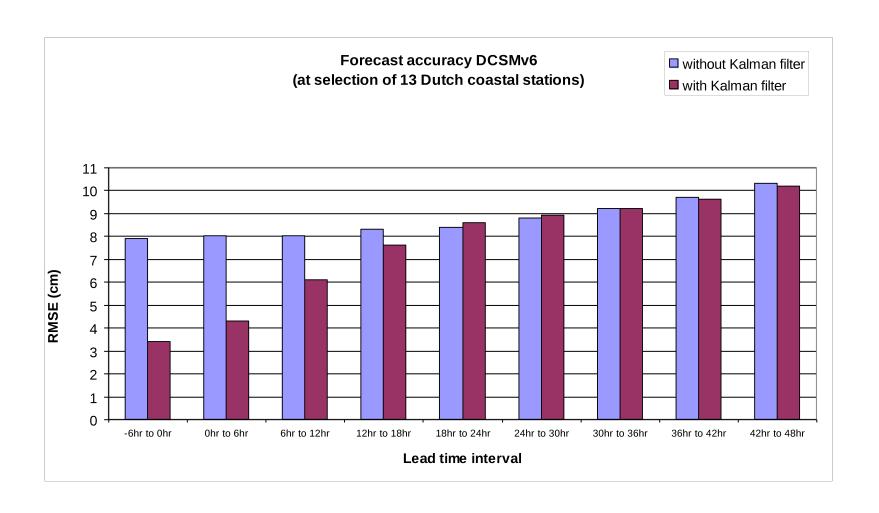


Results (-6 - 0 h)



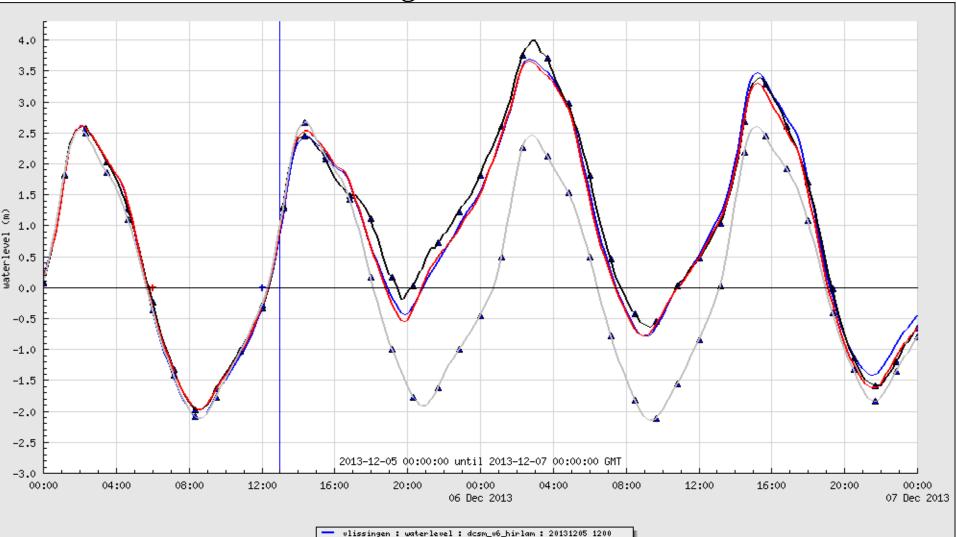


Results



Impact during a storm

Forecast for Vlissingen at Dec 5 13h



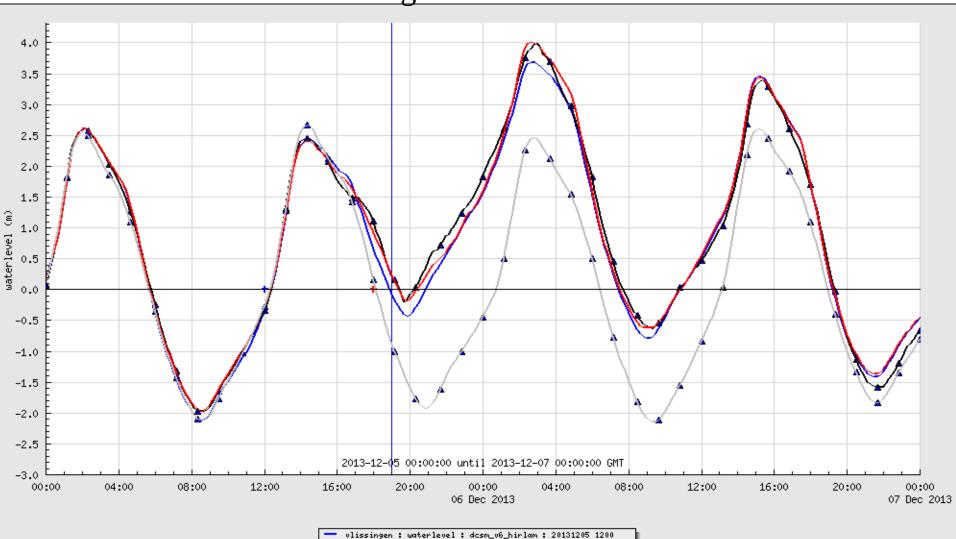
vlissingen : waterlevel : observed

vlissingen : waterlevel_astro : observed

vlissingen : waterlevel : dcsm_v6_kf_hirlam : 20131205 0600

Impact during a storm

Forecast for Vlissingen at Dec 5 19h



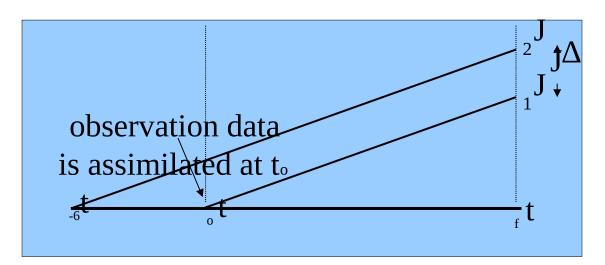
vlissingen : waterlevel : observed

ulissingen : waterlevel_astro : observed

vlissingen : waterlevel : dcsm_v6_kf_hirlam : 20131205 1800

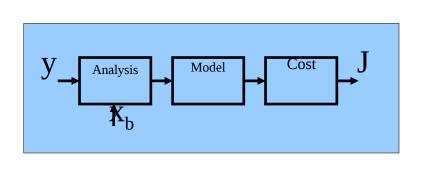
Observation sensitivity

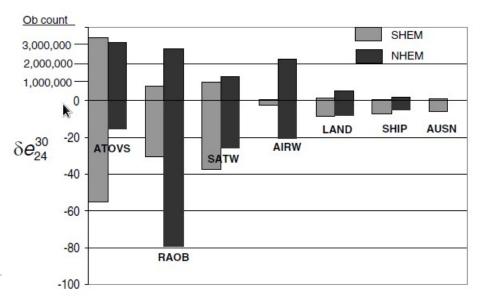
Langland and Baker (2004), Errico(2007), Gelaro et. al. (2007)



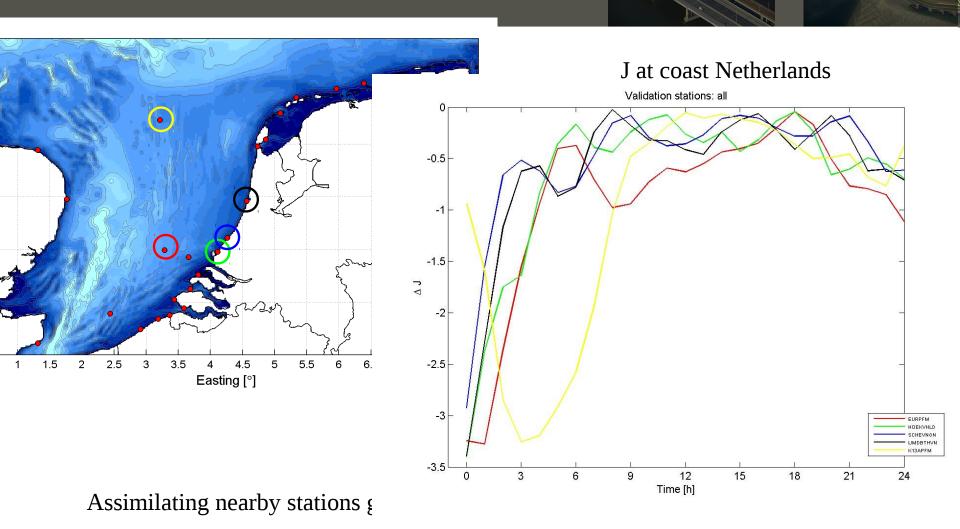
Common $J=(x^f-x^a)'C(x^f-x^a)$ We use:

$$J = (y - Hx^f) R^{-1} (y - Hx^f)$$

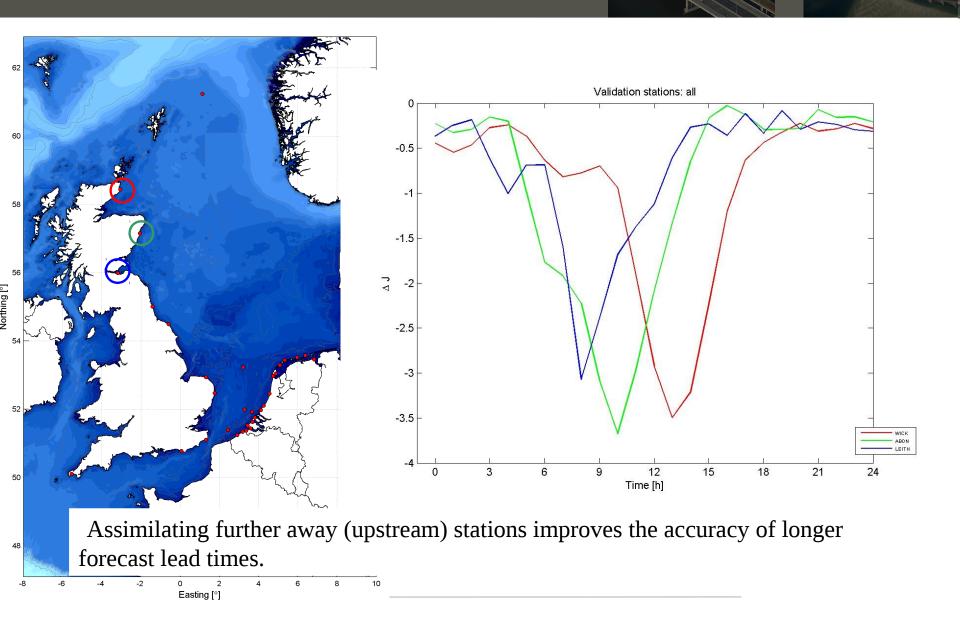




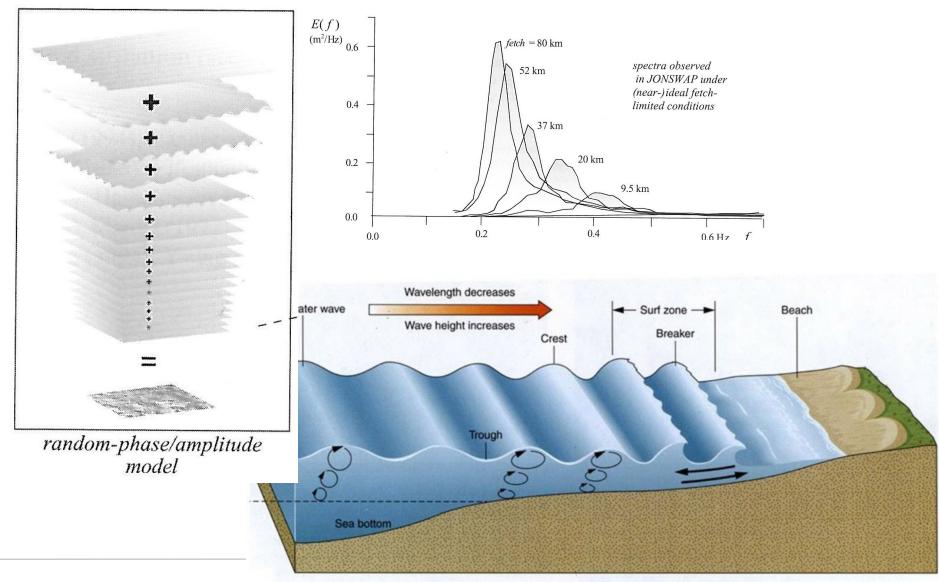
Selection of assimilation stations



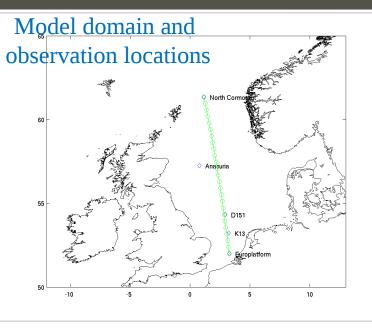
Selection of assimilation stations

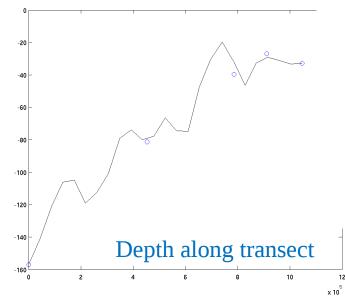


Simulating Waves Near-shore SWAN

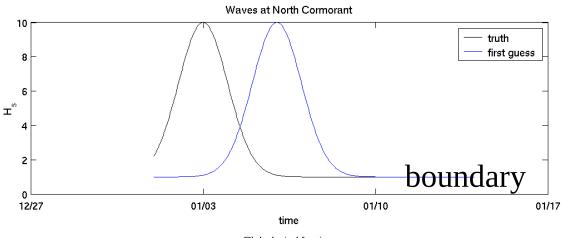


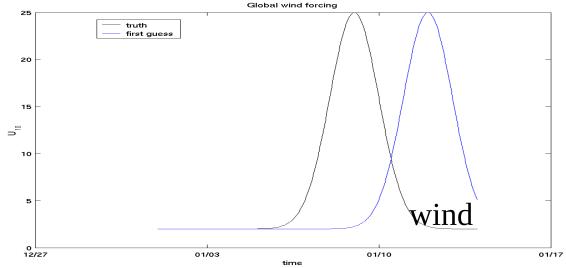
EnKF for SWAN wave model





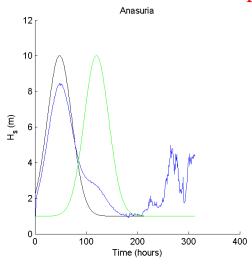
Twin experiment 1D

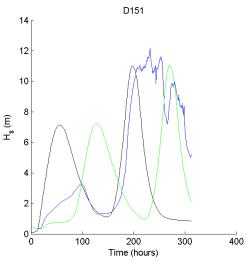


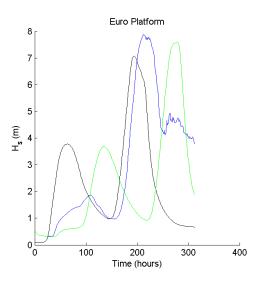


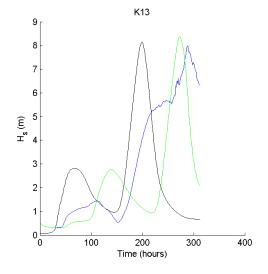
EnKF for SWAN wave model

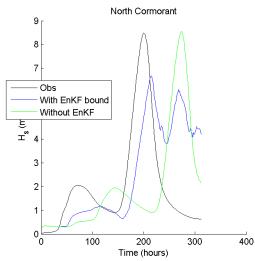
Twin experiment 1D











Assimilation of Hs at the 4 buoy locations

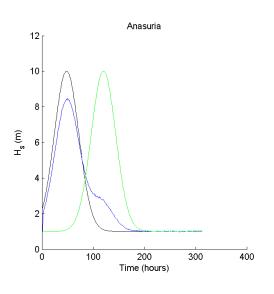
Adjustment of boundary wave conditions and of the 2D spectra at each computational grid location

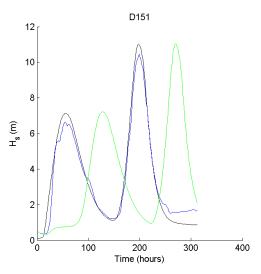
EnKF for SWAN wave model

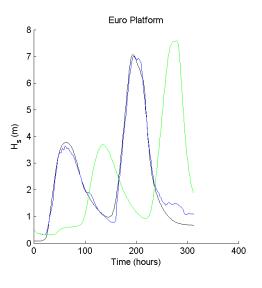


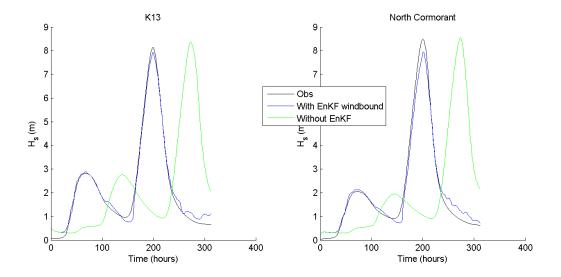


Twin experiment 1D









Assimilation of Hs at the 4 buoy locations

Adjustment of boundary wave conditions and wind input and of the 2D spectra at each computational grid location

Challenges

- Improve robustness of DUD algorithm (eg with constraints)
- Design good parallel calibration algorithms
- Parallel computing for analysis in EnKF
- Application to unstructured grid models
- Strengthen variational methods in OpenDA

Global Tide model Regions This Dflow-FM grid uses triangles and rectangles for local grid refinement







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The end